

# UNIVERSITY OF RUHUNA

Faculty of Engineering

Mid-Semester 8 Examination in Engineering: October 2015

Module Number: EE8230

Module Name: High Voltage Engineering

[Two Hours]

[Answer all questions, each question carries 5 marks]

- Q1 a) State two main environmental issues of gaseous insulation SF<sub>6</sub>. [1 Mark]
- b) Explain why elastic collisions between gas molecules and electron will not result in gas ionizations. [1 Mark]
- c) Describe how point of wave switching control method reduces switching transients. [1 Mark]
- d) A solid dielectric specimen of dielectric constant of  $\epsilon_2 = 4.0$  shown in Figure Q1.d has an internal void of thickness  $d_1 = 1$  mm. The specimen is  $d_2 + d_1 = 1$  cm thick and is subjected to a voltage of  $V_0 = 80$  kV (rms). If the void is filled with air and if the breakdown strength of air can be taken as  $V_{1b} = 30$  kV (peak)/cm, find whether the void will break down under above applied voltage.

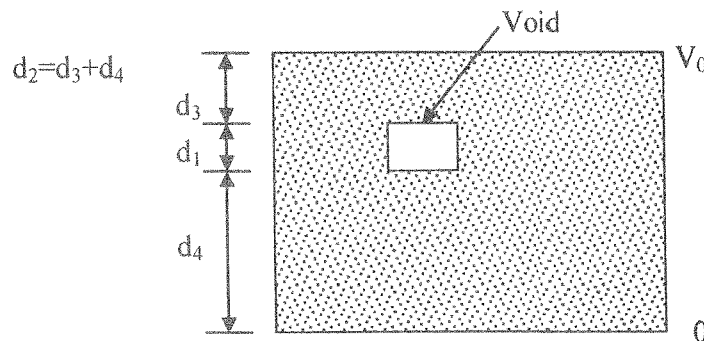


Figure Q1.d

[2 Marks]

- Q2 a) Explain the reasons why corona has to be taken in to account when designing power system components.

[1 Mark]

- b) Explain the mechanism of losing power by corona with suitable diagrams. [1 Mark]
- c) Briefly explain how stable corona is formed around a charged conductor. [0.5 Marks]
- d) Two conductors carrying currents in opposite directions are distance  $d$  apart and each conductor has radius  $r$ . Assuming  $d \gg r$ , show that following condition should be satisfied for corona to develop in to a breakdown of gaseous insulation where  $e$  is the base of the natural logarithm.

$$\frac{d}{r} < e$$

[2.5 Marks]

- Q3 a) State three reasons which have led to the increased usage of composite insulators and less attention to porcelain / glass insulators? [1 Mark]
- b) Describe the rolling sphere method of determining most protected areas from lightning. [1 Mark]
- c) Briefly explain the practical application of Faraday Cage principle for lightning protection. [1 Mark]
- d) A mast of height  $h$  erected as lightning protection. Show that shielding angle  $\theta$  can be expressed as below where  $r_s$  is the striking distance. State your assumptions in arriving at the result.

$$\theta = \tan^{-1} \left( \sqrt{\frac{2r_s}{h} - 1} \right)$$

[2 Marks]

- Q4 a) A transient travel along an overhead conductor with characteristic impedance  $Z_{C1}$  towards a junction at which another overhead line of characteristic impedance  $Z_{C2}$  is connected. Let  $E, I$  be forward voltage, current,  $E', I'$  be reflected voltage, current, and  $E'', I''$  be transmitted voltage, current. Derive following equations.

$$E' = \beta E \quad \text{where} \quad \beta = \frac{Z_{C2} - Z_{C1}}{Z_{C1} + Z_{C2}}$$

$$E'' = \alpha E \quad \text{where} \quad \alpha = \frac{2Z_{C2}}{Z_{C1} + Z_{C2}}$$

$$I' = \frac{Z_{C1} - Z_{C2}}{Z_{C1} + Z_{C2}} I$$

$$I'' = \frac{2Z_{C1}}{Z_{C1} + Z_{C2}} I$$

[2 Marks]

- b) A long transmission line AB ( $Z_o = 450 \Omega$ ) is connected to a terminal device at C ( $Z_o = 1950 \Omega$ ) through a short length of cable BC ( $Z_o = 50 \Omega$ , 400 m, attenuation factor in single transit = 0.9). A triangular surge (100 kV vertical front, 6  $\mu$ s duration to zero) originates in the overhead line AB and travels towards the cable. Sketch the voltage waveform at junction C for the first 11  $\mu$ s from the arrival of the surge at junction B. Junction A may be assumed to be too far from junction B to consider reflections at junction A coming back to junction B. Velocities of propagation in overhead line and cable are  $3 \times 10^8$   $\text{kms}^{-1}$  and  $2 \times 10^8$   $\text{kms}^{-1}$  respectively.

[3 Marks]