



UNIVERSITY OF RUHUNA

Faculty of Engineering

Semester 3 Examination in Engineering: March / April 2026

Module Number: CE3303

Module Name: Engineering Surveying (C-23)

[Three Hours]

[Answer all questions. Each question carries TWELVE marks]

All Standard Notations denote their regular meanings

- Q1. a) Parameter is "A" given by the division of a by b (i.e $A = (a/b)$). When "a" and "b" have standard errors of σ_a and σ_b , find the error in "A".

[3.0 Marks]

- b) a, b, c, and d form a round of angle at a station so that their sum is equal to 360° . The observed values of these angles are;

$$a = 103^\circ 27' 20''$$

$$c = 94^\circ 23' 50''$$

$$b = 91^\circ 14' 15''$$

$$d = 70^\circ 54' 45''$$

The angle (a+b) was also measured separately twice and found to average of $185^\circ 38' 10''$. Find the most probable values of the four angles if all the measurements of individual angles are of the same accuracy.

[9.0 Marks]

- Q2. a) Briefly explain the difference between 'intersection' and 'resection' methods in triangulation surveying.

[2.0 Marks]

- b) A baseline PQ of length 550 m is to be set out for a building complex. The bearing of PQ should be $90^\circ 00' 00''$. The point P has already been selected on the ground, and its coordinates are determined by taking angular observations from three control stations A, B, and C whose coordinates are;

$$E_A = 1,947.372 \text{ mE}$$

$$N_A = 2,352.643 \text{ mN}$$

$$E_B = 2,717.483 \text{ mE}$$

$$N_B = 2,428.078 \text{ mN}$$

$$E_C = 3,227.637 \text{ mE}$$

$$N_C = 2,601.666 \text{ mN}$$

The values of clockwise angles measured from A, B, and C are as follows;

$$\hat{PAB} = 57^\circ 04' 30''$$

$$\hat{ABP} = 44^\circ 22' 20''$$

$$\hat{BCP} = 32^\circ 01' 30''$$

Calculate the coordinates of P and Q.

[10.0 Marks]

- Q3. a) With the aid of neat sketches, write short notes on types of traverses in Engineering Surveying according to the survey technology. [2.0 Marks]
- b) The Table Q3-1 indicates the line, mean included angles, and length of a polygon traverse **ABCDEF**A. The whole circle bearing of line **AB** is $30^{\circ} 02' 20''$.
- Use the appropriate method of checking to find whether there is any error in angular measurements.
 - Compute the closing error in distance measurements.
 - Calculate the final coordinates of all traverse points. If the coordinates of a point **A** are 1,000.000 mE and 2,000.000 mN. [10.0 Marks]
- Q4. a) Derive a formula for the cross-sectional area of the level section as shown in Figure Q4-1 in terms of formation width b , side slope given by 1: m , and centerline height " h ". [2.0 Marks]
- b) A road embankment is 8 m wide with side slope 1:2.5. The top (made) surface of a straight portion of this road embankment rises at a gradient of 1:120 along its centerline in the longitudinal direction. At the start of this straight section, the reduced level of the center of the top (made) surface is 210.00 m above the datum. The reduced levels of the natural ground along the centerline of the road embankment are given in Table Q4-1. Assume that the natural ground is level in the direction transverse to the centerline. Calculate the volume of the earth-work (cutting and filling volume) contained in a length of 560 m. [5.0 Marks]
- c) The areas within the contour lines of a reservoir are measured with a planimeter from a plan drawn to a scale 1:1,000 and shown in Table Q4-2. If the lowest raw-off level is 56 m and the maximum water level is 68 m, estimate the full storage capacity of the reservoir and find the water level when the reservoir is 50% capacity. [5.0 Marks]

- Q5. a) List four problems associated with underground surveying. [2.0 Marks]
- b) An underground traverse **APQRB** connects two wires **A** and **B** hung down two separate shafts.

The underground traverse observations recorded are given in Table Q5-1.

The **surface coordinates** of wires A and B determined by surface survey are:

- **A:** 5,210.480 mE, 3,418.275 mN
- **B:** 5,108.765 mE, 3,578.940 mN

Calculate the **surface coordinates** of points **P**, **Q**, and **R**.

[10.0 Marks]

Tables, Figures, and Equations

Table Q3-1: Data for polygon traverse ABCDEFA

Line	Mean Included Angle	Length (m)
AB	$\theta_A = 151^\circ 53' 55''$	94.420
BC	$\theta_B = 102^\circ 36' 05''$	67.970
CD	$\theta_C = 108^\circ 44' 44''$	67.475
DE	$\theta_D = 153^\circ 09' 55''$	89.173
EF	$\theta_E = 112^\circ 22' 45''$	78.125
FA	$\theta_F = 91^\circ 12' 24''$	82.273

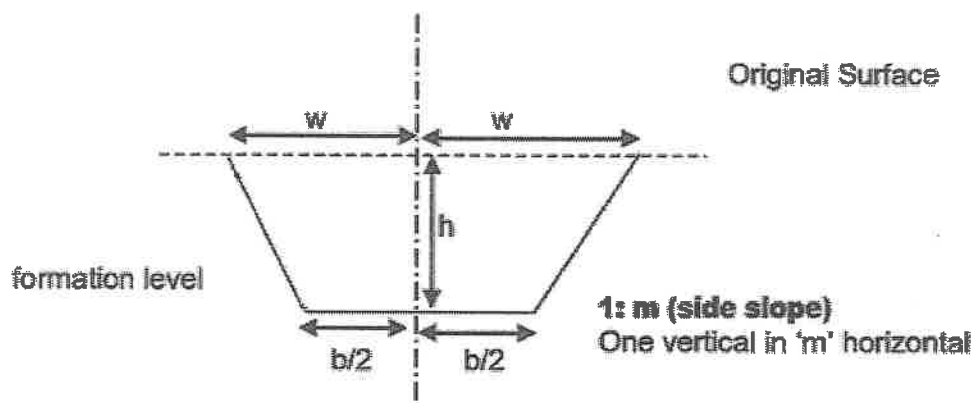


Figure Q4-1: Cross Section

Table Q4-1: The reduced levels of the natural ground along the centerline

Chainage (m)	0	40	80	120	160	210	260
Existing RL (m)	216.56	215.23	214.25	213.35	211.33	209.92	210.17

Chainage (m)	310	360	460	560
Existing RL (m)	211.16	211.98	211.52	213.56

Table Q4-2: The reduced levels of the natural ground along the centerline

Contour level (m)	68	66	64	62	60	58	56
Area (mm²)	84,960	80,050	70,500	62,030	57,100	39,880	17,200

Figure Q5-1: Data for underground survey APQRB

Station		Observed angle			Length (m)
From	To	°	'	"	
A	P				52.410
		121	18	50	
P	Q				64.820
		185	44	20	
Q	R				73.155
		248	52	10	
R	B				38.762

Useful Equations

$$t_a = \frac{C_t}{KL} + t_s$$

$$C_t = KL\Delta t$$

$$E_F = \frac{K_1 E_A + K_2 E_B + K_3 E_C}{K_1 + K_2 + K_3}$$

$$N_F = \frac{K_1 N_A + K_2 N_B + K_3 N_C}{K_1 + K_2 + K_3}$$

$$\sigma_{\bar{x}} = \frac{S}{\frac{1}{n^2}}$$

$$C_T = L \frac{\Delta T}{AE}$$

$$C_\theta = -\frac{h^2}{2L}$$

$$C_M = -\frac{LH}{R}$$

$$k = \frac{AB_S}{AB_U}$$

$$\theta = (\phi_{AB})_S - (\phi_{AB})_U$$

$$V = \frac{D}{6} [A_1 + 4M + A_2]$$

$$A = \frac{d}{3} \left\{ h_1 + 4 \sum \text{evenoffsets} + 2 \sum \text{Oddoffsets} + h_n \right\}$$

$$A = \left[\frac{h_1 + h_n}{2} d + h_2 + h_3 + h_4 + \dots \dots \dots + h_{n-1} \right] d$$

$$S = \left(\frac{\sum (x_i - \bar{x})^2}{n-1} \right)^{\frac{1}{2}}$$

$$C_s = -\frac{w^2 L^3}{24 T^2}$$

$$C_s = -\frac{w^2 L^3}{24} \left(\frac{1}{T_A^2} - \frac{1}{T_S^2} \right)$$

$$K_1 = \frac{1}{(\cot a - \cot x)}$$

$$K_2 = \frac{1}{(\cot b - \cot y)}$$

$$K_3 = \frac{1}{(\cot c - \cot z)}$$

$$C_\theta = -L (1 - \cos \theta)$$

$$W \propto \frac{1}{\sigma_x^2}$$

$$(E_i)_S = (E_0)_S + k[(E_i)_U \cos \theta + (N_i)_U \sin \theta]$$

$$(N_i)_S = (N_0)_S + k[-(E_i)_U \sin \theta + (N_i)_U \cos \theta]$$

$$V = A(\sum h_1 + 2 \sum h_2 + 3 \sum h_3 + 4 \sum h_4)$$